

## Graphing Functions (1.4)



"Given a function, I can describe all transformations applied to its parent function. I can determine all ordered pairs of transformed functions using the graphical, algebraic and numerical techniques. I can apply what I have learned in familiar and unfamiliar settings."

The function  $y = f(x)$  can be transformed into  $y = af[k(x - d)] + c$

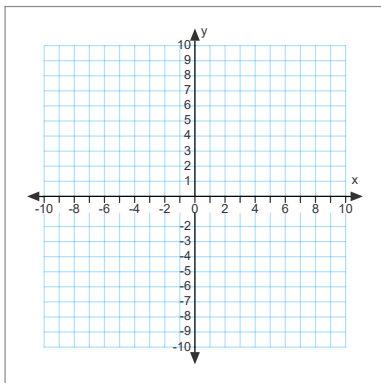
The role of  $a$ ,  $k$ ,  $d$  and  $c$ ...



**Practice:** Transforming Functions. [Click here.](#)

**Example 1** State the function that would result from horizontally compressing  $y = f(x)$  by a factor of 0.25, and then translating it 3 units left.

**Example 2** Given:  $f(x) = \sqrt{x}$   
 a) Describe the transformations defined by  $y = -f[3x + 3]$  in the order they would be applied to  $f(x) = \sqrt{x}$   
 b) Graph  $y = -f[3x + 3]$  using several techniques.  
 c) State the new equation of the transformed function.  
 d) Complete the table.



	$y = -f[3x + 3]$
Interval(s) of increase	
Interval(s) of decrease	
End behaviour(s)	
Symmetry	

Transformations "Refresher" Pages 1 to 5 [click here.](#)

### **MathSIP!**

- Describe the transformations of the parent function in the order applied to create:
  - $f(x) = \sqrt{4x - 3}$
  - $y = f(-\frac{1}{3}x + \frac{2}{3}) + 3$
- Page 35 #2, 3\*find graphically only, 4de, 5c, 6c, 7, 9f\*find algebraically only, 13, 15.

**Final Answers**  
 1. a) horizontal compression factor = 4, then a translation right  $\frac{4}{3}$  units  
 b) reflection in the y-axis, then a horizontal stretch factor of 3, then a horizontal translation right 2 units, finally a vertical translation up 3 units.

# TRANSFORMATIONS

